Canopy vignette

Yuchao Jiang yuchaoj@upenn.edu

December 18, 2017

This is a demo for using the Canopy package in R. Canopy is a statistical framework and computational procedure for identifying subpopulations within a tumor, determining the mutation profiles of each subpopulation, and inferring the tumor's phylogenetic history. The input to Canopy are variant allele frequencies of somatic single nucleotide alterations (SNAs) along with allele-specific coverage ratios between the tumor and matched normal sample for somatic copy number alterations (CNAs). These quantities can be directly taken from the output of existing software. Canopy provides a general mathematical framework for pooling data across samples and sites to infer the underlying parameters. For SNAs that fall within CNA regions, Canopy infers their temporal ordering and resolves their phase. When there are multiple evolutionary configurations consistent with the data, Canopy outputs all configurations along with their confidence.

Below is an example on reconstructing tumor phylogeny of a transplantable metastasis model system derived from a heterogeneous human breast cancer cell line MDA-MB-231. Cancer cells from the parental line MDA-MB-231 were engrafted into mouse hosts leading to organ-specific metastasis. Mixed cell populations (MCPs) were in vivo selected from either bone or lung metastasis and grew into phenotypically stable and metastatically competent cancer cell lines. The parental line as well as the MCP sublines were whole-exome sequenced with somatic SNAs and CNAs profiled. Canopy is used to infer metastatic phylogeny. Code for analysis of this dataset is broken down below with explanations and is further available here.

Canopy's webpage is here. Demo codes for Canopy under various settings/modes can be found here. Script for dataset from the MDA231 study is attached below with step-by-step decomposition and explanation. Online Q&A forum for Canopy is available here. If you've any questions regarding the software, you can also email us at canopy_phylogeny@googlegroups.com.

1. Installation

R package Canopy is available from CRAN (https://CRAN.R-project.org/package=Canopy):

```
> install.packages('Canopy') # updated every 3-4 months
```

A devel version can be installed from GitHub ((https://github.com/yuchaojiang/Canopy):

```
> install.packages("devtools")
> library(devtools)
> install_mithub("unchastic and (Compared as the set")) # CTDONGLY
```

```
> install_github("yuchaojiang/Canopy/package") # STRONGLY recommended
```

2. Canopy workflow

2.1 CNA and SNA input

The input to Canopy are variant allele frequencies of somatic SNAs along with allele-specific coverage ratios between the tumor and matched normal sample for somatic CNAs. For SNAs, let the matrices R and X be, respectively, the number of reads containing the mutant allele and the total number of reads for each locus across all samples. The ratio R/X is the proportion of reads supporting the mutant allele, known as the variant allele frequency. For CNAs, Canopy directly takes output from allele-specific copy number estimation softwares, such as FALCON-X or Sequenza. These outputs are in the form of estimated major and minor copy number ratios, respectively denoted by W^M and W^m , with their corresponding standard errors ϵ^M and ϵ^m . Matrix Y specifies whether SNAs are affected by CNAs; matrix C specifies whether CNA regions harbor specific CNAs (this input is only needed if overlapping CNA events are observed).

How to generate CNA and SNA data input is further discussed here. How to select *informative* SNA and CNA input is discussed here.

Below is demo data input from project MDA231 (first case study in our paper).

```
> library(Canopy)
```

```
> data("MDA231")
```

> projectname = MDA231\$projectname ## name of project

> R = MDA231\$R; R ## mutant allele read depth (for SNAs)

	MCP1833_bone	MCP1834_lung	MCP2287_bone	MDA-MB-231_parental	MCP3481_lung
BRAF	155	59	136	77	49
KRAS	44	21	54	19	17
ALPK	2 37	17	28	10	7
RYR1	44	0	26	0	0

> X = MDA231\$X; X ## total depth (for SNAs)

	MCP1833_bone	MCP1834_lung	$MCP2287_bone$	MDA-MB-231_parental	MCP3481_lung
BRAF	157	111	177	146	71
KRAS	44	30	64	42	27
ALPK2	63	17	65	24	7
RYR1	107	56	165	55	43

> WM = MDA231\$WM; WM ## observed major copy number (for CNA regions)

	MCP1833_bone	MCP1834_lung	$MCP2287_bone$	MDA-MB-231_parental	MCP3481_lung
chr7	2.998	2.002	2.603	2.000	2.001
chr12	1.998	1.998	1.603	1.001	1.999
chr18	1.000	2.992	1.000	1.002	2.996
chr19	2.000	2.000	2.000	2.000	2.000

> Wm = MDA231\$Wm; Wm ## observed minor copy number (for CNA regions)

	MCP1833_bone	MCP1834_lung	$MCP2287_bone$	MDA-MB-231_parental	MCP3481_lung
chr7	0.002	0.998	0.397	1.000	0.999
chr12	0.002	0.998	0.397	1.000	0.999
chr18	1.000	0.004	1.000	0.999	0.002
chr19	1.000	1.000	1.000	1.000	1.000

```
> epsilonM = MDA231$epsilonM ## standard deviation of WM, pre-fixed here
> epsilonm = MDA231$epsilonm ## standard deviation of Wm, pre-fixed here
> ## Matrix C specifices whether CNA regions harbor specific CNAs
> ## only needed if overlapping CNAs are observed, specifying which CNAs overlap
> C = MDA231$C; C
```

	$chr7_1$	$chr7_2$	$chr12_1$	$chr12_2$	chr18	chr19
chr7	1	1	0	0	0	0
chr12	0	0	1	1	0	0
chr18	0	0	0	0	1	0
chr19	0	0	0	0	0	1

> Y = MDA231\$Y; Y ## whether SNAs are affected by CNAs

	non-cna_region	chr7	chr12	chr18	chr19
BRAF	0	1	0	0	0
KRAS	0	0	1	0	0
ALPK2	0	0	0	1	0
RYR1	0	0	0	0	1

2.2 Binomial clustering of SNAs

A multivariate binomial mixture clustering step can be applied to the SNAs before MCMC sampling. We show in our paper via simulations that this pre-clustering method helps the Markov chain converge faster with smaller estimation error (especially when mutations show clear cluster patterns by visualization). This clustering step can also remove likely false positives before feeding the mutations to the MCMC algorithm.

Below is a toy example, where three bulk tumor samples were in silico simulated from a tree of 4 clones/leaves. The 5 tree segments (excluding the leftmost branch, which corresponds to the normal clone) separate 200 mutations into 5 mutation clusters. More detailed demo codes for clustering can be found here. Detailed methods can be found in the supplements of our paper under section Binomial mixture clustering. BIC is used for model selection. 2D (two longitudinal/spatial samples) or 3D (three samples) plots are generated for visualization.

```
> library(Canopy)
> data(toy3)
> R=toy3$R; X=toy3$X # 200 mutations across 3 samples
> num_cluster=2:9 # Range of number of clusters to run
> num_run=10 # How many EM runs per clustering step for each mutation cluster wave
 canopy.cluster=canopy.cluster(R = R,
>
                                  X = X.
+
+
                                  num_cluster = num_cluster,
+
                                  num_run = num_run)
Running EM with 2 clusters...
                                       1
                                           2
                                                3
                                                    4
                                                        5
                                                            6
                                                                 7
                                                                     8
                                                                         9
                                                                             10
Running EM with 3 clusters...
                                       1
                                           2
                                                3
                                                    4
                                                        5
                                                            6
                                                                 7
                                                                     8
                                                                         9
                                                                             10
                                                        5
                                           2
                                                3
                                                                 7
                                                                         9
Running EM with 4 clusters...
                                       1
                                                    4
                                                            6
                                                                     8
                                                                             10
Running EM with 5 clusters...
                                           2
                                                3
                                                    4
                                                        5
                                                            6
                                                                 7
                                                                     8
                                                                         9
                                                                             10
                                       1
                                           2
                                                3
                                                        5
                                                                 7
                                                                         9
Running EM with 6 clusters...
                                       1
                                                    4
                                                            6
                                                                     8
                                                                             10
                                           2
                                               3
                                                    4
                                                        5
                                                            6
                                                                 7
                                                                     8
                                                                         9
Running EM with 7 clusters...
                                       1
                                                                             10
Running EM with 8 clusters...
                                       1
                                           2
                                                3
                                                    4
                                                        5
                                                            6
                                                                 7
                                                                     8
                                                                         9
                                                                             10
                                           2
                                                3
                                                    4
                                                        5
                                                                 7
Running EM with 9 clusters...
                                       1
                                                            6
                                                                     8
                                                                         9
                                                                             10
```

- > bic_output=canopy.cluster\$bic_output # BIC for model selection (# of clusters)
- > Mu=canopy.cluster\$Mu # VAF centroid for each cluster
- > Tau=canopy.cluster\$Tau # Prior for mutation cluster, with a K+1 component
- > sna_cluster=canopy.cluster\$sna_cluster # cluster identity for each mutation



Figure 1: BIC to select the optimal number of clusters and Binomial mixture clustering results.

Below is real dataset from Ding et al. (Nature 2012), where a leukemia patient was sequenced at two timepoints – primary tumor (sample 1) and relapse genome (sample 2). The real dataset is noisier and can potentially contain false positives for somatic mutations. We thus include in the mixture a multivariate uniform component on the unit interval, which corresponds to mutations that have high standard errors during sequencing or that are likely to be false positives. The code and SNA input for this dataset can be found here.

```
> library(Canopy)
> data(AML43)
> R=AML43$R; X=AML43$X
> num_cluster=4 # Range of number of clusters to run
> num_run=6 # How many EM runs per clustering step for each mutation cluster wave
> Tau_Kplus1=0.05 # Pre-specified proportion of noise component
 Mu.init=cbind(c(0.01,0.15,0.25,0.45),
>
                c(0.2,0.2,0.01,0.2)) # Initial value for centroid
+
  canopy.cluster=canopy.cluster(R = R,
>
+
                                 X = X,
                                 num_cluster = num_cluster,
+
+
                                 num_run = num_run,
                                 Mu.init = Mu.init,
+
                                 Tau_Kplus1=Tau_Kplus1)
+
Running EM with 4 clusters...
                                      1
                                          2
                                              3
                                                   4
                                                       5
                                                           6
> Mu=canopy.cluster$Mu # VAF centroid for each cluster
> Tau=canopy.cluster$Tau # Prior for mutation cluster, with a K+1 component
```

> sna_cluster=canopy.cluster\$sna_cluster # cluster identity for each mutation

- > R.qc=R[sna_cluster<=4,] # exclude mutations in the noise cluster
- > X.qc=X[sna_cluster<=4,]</pre>

> sna_cluster.qc=sna_cluster[sna_cluster<=4]

- > R.cluster=round(Mu*100) # Generate pseudo-SNAs correponding to each cluster.
- > X.cluster=pmax(R.cluster,100) # Total depth is set at 100 but can be obtained as median instead
- > rownames(R.cluster)=rownames(X.cluster)=paste('SNA.cluster',1:4,sep='')



Figure 2: Binomial mixture clustering on real dataset of primary tumor and relapse genome.

2.3 Phylogenetic tree (unknown)

Each sampled tree is modeled as a list by Canopy. Below are the tree elements of the most likely tree from the project MDA231 (first case study in the paper). The most likely tree is obtained from the posterior distribution in the tree space from the MCMC sampling (detailed in section 2.3). How to visualize/plot the sampled trees is discussed later.

```
> data('MDA231_tree')
> MDA231_tree$Z # Z matrix specifies the position of the SNAs along the tree branch
      clone1 clone2 clone3 clone4
BRAF
           0
                          1
                   1
                                  1
KRAS
           0
                   1
                          1
                                  1
ALPK2
           0
                          1
                                  1
                   1
RYR1
           0
                   0
                          1
                                  0
> MDA231_tree$cna.copy # major and minor copy number (interger values) for each CNA
           chr7_LOH chr7_dup chr12_dup chr12_LOH chr18_LOH chr19_dup
                                                 2
                                                                       2
major_copy
                   3
                            2
                                       2
                                                            3
                   0
                            1
                                       1
                                                 0
                                                            0
                                                                       1
minor_copy
```

> MDA231_tree\$CM # Major copy per clone for each CNA

	clone1	clone2	clone3	clone4
chr7	1	2	3	2
chr12	1	1	2	2
chr18	1	1	1	3
chr19	1	2	2	2

> MDA231_tree\$Cm # Minor copy per clone for each CNA

	clone1	clone2	clone3	clone4
chr7	1	1	0	1
chr12	1	1	0	1
chr18	1	1	1	0
chr19	1	1	1	1

> MDA231_tree\$Q # whether an SNA precedes a CNA

	$chr7_LOH$	chr7_dup	chr12_dup	chr12_LOH	chr18_LOH	chr19_dup
BRAF	1	1	0	0	0	0
KRAS	0	0	1	1	0	0
ALPK2	0	0	0	0	1	0
RYR1	0	0	0	0	0	0

> MDA231_tree\$H # if an SNA precedes a CNA, whether it resides in the major copy

	$chr7_LOH$	$chr7_dup$	chr12_dup	$chr12_LOH$	$chr18_LOH$	chr19_dup
BRAF	1	1	0	0	0	0
KRAS	0	0	1	1	0	0
ALPK2	0	0	0	0	1	0
RYR1	0	0	0	0	0	0

> MDA231_tree\$P # clonal composition for each sample

	MCP1833_bone	MCP1834_lung	MCP2287_bone	MDA-MB-231_parental	MCP3481_lung
clone1	0.000	0.000	0.000	0.000	0.000
clone2	0.006	0.000	0.399	0.992	0.003
clone3	0.991	0.001	0.600	0.001	0.001
clone4	0.003	0.999	0.001	0.007	0.996

> MDA231_tree\$VAF # VAF based on current tree structure

	MCP1833_bone	MCP1834_lung	$MCP2287_bone$	MDA-MB-231_parental	MCP3481_lung
BRAF	0.997	0.667	0.867	0.667	0.667
KRAS	0.996	0.667	0.800	0.502	0.667
ALPK2	0.502	1.000	0.501	0.505	0.999
RYR1	0.330	0.000	0.200	0.000	0.000

2.4 MCMC sampling

Canopy samples in subtree space with varying number of subclones (denoted as K) by a Markov chain Monte Carlo (MCMC) method. A plot of posterior likelihood (pdf format) will be generated for each subtree space and we recommend users to refer to the plot as a sanity check for sampling convergence and to choose the number of burn-ins and

thinning accordingly. Note that this step can be time-consuming, especially with larger number of chains (numchain specifies the number of chains with random initiations, a larger value of which is in favor of not getting stuck in local optima) and longer chains (simrun specifies number of iterations per chain). MCMC sampling is the most computationally heavy step in Canopy. It is recommended that jobs are run in parallel on high-performance cluster.

There are four modes of MCMC sampling embedded in Canopy: (1) canopy.sample which takes both SNA and CNA as input by default; (2) canopy.sample.nocna for cases where there is no CNA input; (3) canopy.sample.cluster for cases where SNAs are pre-clustered by the Binomial mixture EM algorithm; (4) canopy.sample.cluster.nocna for cases where there is no CNA input and SNAs are pre-clustered by the Binomial mixture EM algorithm. More details can be found here.

Below is sampling code for the MDA231 dataset where both SNA and CNA are used as input.

```
> K = 3:6 # number of subclones
> numchain = 20 # number of chains with random initiations
> sampchain = canopy.sample(R = R, X = X, WM = WM, Wm = Wm, epsilonM = epsilonM,
+ epsilonm = epsilonm, C = C, Y = Y, K = K, numchain = numchain,
+ max.simrun = 50000, min.simrun = 10000,
+ writeskip = 200, projectname = projectname, cell.line = TRUE,
+ plot.likelihood = TRUE)
> save.image(file = paste(projectname, '_postmcmc_image.rda',sep=''),
+ compress = 'xz')
```

```
> length(sampchain) ## number of subtree spaces (K=3:6)
```

[1] 4

```
> length(sampchain[[which(K==4)]]) ## number of chains for subtree space with 4 subclones
```

[1] 20

> length(sampchain[[which(K==4)]][[1]]) ## number of posterior trees in each chain

[1] 250

2.5 BIC for model selection

Canopy uses BIC as a model selection criterion to determine to optimal number of subclones.



Figure 3: Posterior likelihood of MCMC (chains are colored differently) and BIC as a model selection method.

2.6 Posterior evaluation of sampled trees

Canopy then runs a posterior evaluation of all sampled trees by MCMC. If modes of posterior probabilities (second column of config.summary) aren't obvious, check if the algorithm has converged (and run sampling longer if not).

```
> post = canopy.post(sampchain = sampchain, projectname = projectname, K = K,
+
                   numchain = numchain, burnin = burnin, thin = thin, optK = optK,
                   C = C, post.config.cutoff = 0.05)
+
 samptreethin = post[[1]]
                            # list of all post-burnin and thinning trees
>
> samptreethin.lik = post[[2]]
                                 # likelihoods of trees in samptree
> config = post[[3]] # configuration for each posterior tree
> config.summary = post[[4]] # configuration summary
> print(config.summary)
     Configuration Post_prob Mean_post_lik
[1,]
                       0.562
                                    -547.55
                 1
[2,]
                 2
                       0.066
                                    -549.68
[3,]
                 3
                       0.073
                                    -548.62
[4,]
                 4
                       0.146
                                    -547.68
[5,]
                 5
                       0.153
                                    -547.80
> # first column: tree configuration
> # second column: posterior configuration probability in the entire tree space
> # third column: posterior configuration likelihood in the subtree space
```

2.7 Tree output and plotting

One can then use Canopy to output and plot the most likely tree (i.e., tree with the highest posterior likelihood). Mutations, clonal frequencies, and tree topology, etc., of the tree are obtained from the posterior distributions of subtree space with trees having the same configuration. In our MDA231 example, the most likely tree is the tree with configuration 3.

Note: A separate txt file can be generated (with txt=TRUE and txt.name='*.txt') if the figure legend of mutational profiles (texts below the phylogenetic tree) in the plot is too long to be fitted entirely.

```
> cat('Configuration', config.i, 'has the highest posterior likelihood!\n')
Configuration 1 has the highest posterior likelihood!
> # plot the most likely tree in the posterior tree space
> output.tree = canopy.output(post, config.i, C)
> canopy.plottree(output.tree)
> # plot the tree with configuration 1 in the posterior tree space
> output.tree = canopy.output(post, 1, C)
> canopy.plottree(output.tree, pdf=TRUE, pdf.name =
```

+ paste(projectname, '_first_config.pdf', sep=''))

> config.i = config.summary[which.max(config.summary[,3]),1]



mut1: BRAF, KRAS, ALPK2, chr7_dup, chr19_dup mut2: RYR1, chr7_LOH, chr12_LOH mut3: chr12_dup, chr18_LOH

Figure 4: Most likely tree by Canopy for project MDA231.

3. Try it yourself

Now try Canopy yourself using the simulated toy dataset below! Note that no overlapping CNAs are used as input and thus matrix C doesn't need to be specified.

```
> library(Canopy)
> data(toy)
> projectname = 'toy'
> R = toy$R; X = toy$X; WM = toy$WM; Wm = toy$Wm
> epsilonM = toy$epsilonM; epsilonm = toy$epsilonm; Y = toy$Y
> K = 3:6; numchain = 10
> sampchain = canopy.sample(R = R, X = X, WM = WM, Wm = Wm, epsilonM = epsilonM,
+ epsilonm = epsilonm, C = NULL, Y = Y, K = K,
+ numchain = numchain, simrun = 50000, writeskip = 200,
projectname = projectname, cell.line = FALSE,
+ plot.likelihood = TRUE)
```

The most likely tree is shown below. There should be only one tree configuration from the posterior tree space. The code for this toy dataset analysis can be found here.



Figure 5: Most likely tree by Canopy for simulated toy dataset.

The second toy example has a different tree topology. Feel free to try Canopy on this dataset too! There should be also just one tree configuration as is shown below from the posterior tree space. The code for this toy dataset analysis can be found here.

```
> library(Canopy)
> data(toy2)
> projectname = 'toy2'
> R = toy2$R; X = toy2$X; WM = toy2$WM; Wm = toy2$Wm
> epsilonM = toy2$epsilonM; epsilonm = toy2$epsilonm; Y = toy2$Y
> true.tree = toy2$true.tree # true underlying tree
> K = 3:6; numchain = 15
 sampchain = canopy.sample(R = R, X = X, WM = WM, Wm = Wm, epsilonM = epsilonM,
>
                            epsilonm = epsilonm, C = NULL, Y = Y, K = K,
+
                            numchain = numchain, max.simrun = 100000,
+
                            min.simrun = 10000, writeskip = 200,
+
                            projectname = projectname, cell.line = FALSE,
+
                            plot.likelihood = TRUE)
+
```



0.200	0.200	0.000	0.000	0.600	sample10
0.200	0.200	0.000	0.600	0.000	sample9
0.200	0.000	0.000	0.800	0.000	sample8
0.200	0.800	0.000	0.000	0.000	sample7
0.200	0.000	0.450	0.000	0.350	sample6
0.100	0.000	0.300	0.000	0.600	sample5
0.300	0.000	0.700	0.000	0.000	sample4
0.300	0.000	0.000	0.000	0.700	sample3
0.200	0.000	0.000	0.200	0.600	sample2
0.200	0.200	0.600	0.000	0.000	sample1

mut1: SNA1
mut2: SNA2
mut3: SNA4
mut4: CNA2
mut5: CNA1, CNA3
mut6: SNA5
mut7: SNA3

Figure 6: Most likely tree by Canopy for simulated toy dataset 2.

The third toy example consists of three bulk tumor samples, in silico simulated from a tree of 4 clones/leaves. The 5 tree segments (excluding the leftmost branch, which corresponds to the normal clone) separate 200 mutations into 5 mutation clusters. The SNA clustering details are outlined in section "Binomial clustering of SNAs". The code for this toy dataset analysis is briefly attached below. Code in more details with visualization and posterior analysis can be found here.

```
> library(Canopy)
> data(toy3)
> R=toy3$R; X=toy3$X
> num_cluster=2:9 # Range of number of clusters to run
> num_run=10 # How many EM runs per clustering step for each mutation cluster wave
 canopy.cluster=canopy.cluster(R = R,
>
+
                                X = X
+
                                num_cluster = num_cluster,
+
                                num_run = num_run)
> bic_output=canopy.cluster$bic_output # BIC for model selection (# of clusters)
> Mu=canopy.cluster$Mu # VAF centroid for each cluster
> Tau=canopy.cluster$Tau # Prior for mutation cluster, with a K+1 component
> sna_cluster=canopy.cluster$sna_cluster # cluster identity for each mutation
> projectname='toy3'
> K = 3:5 \# number of subclones
> numchain = 15 # number of chains with random initiations
 sampchain = canopy.sample.cluster.nocna(R = R, X = X, sna_cluster = sna_cluster,
>
+
                                          K = K, numchain = numchain,
+
                                          max.simrun = 100000, min.simrun = 20000,
+
                                           writeskip = 200, projectname = projectname,
                                           cell.line = FALSE, plot.likelihood = TRUE)
+
 save.image(file = paste(projectname, '_postmcmc_image.rda',sep=''),
>
             compress = 'xz')
```

4. Citation

Assessing intra-tumor heterogeneity and tracking longitudinal and spatial clonal evolutionary history by nextgeneration sequencing, Yuchao Jiang, Yu Qiu, Andy J Minn, Nancy R zhang, Proceedings of the National Academy of Sciences, 2016. (html, pdf)

5. Session information:

Output of sessionInfo on the system on which this document was compiled:

- R version 3.4.3 (2017-11-30), x86_64-apple-darwin15.6.0
- Locale: C/en_US.UTF-8/en_US.UTF-8/C/en_US.UTF-8/en_US.UTF-8
- Running under: macOS High Sierra 10.13.1
- Matrix products: default
- BLAS: /Library/Frameworks/R.framework/Versions/3.4/Resources/lib/libRblas.0.dylib
- LAPACK: /Library/Frameworks/R.framework/Versions/3.4/Resources/lib/libRlapack.dylib

- Base packages: base, datasets, grDevices, graphics, grid, methods, stats, utils
- Other packages: Canopy 1.3.0, ap
e 4.1, dot Call
64 $0.9\mathchar`overline 0.0,$ maps 3.2.0, pheatmap 1.0.8, scatter
plot3d 0.3-40, spam 2.1-1
- Loaded via a namespace (and not attached): RColorBrewer 1.1-2, Rcpp 0.12.14, colorspace 1.3-2, compiler 3.4.3, gtable 0.2.0, lattice 0.20-35, munsell 0.4.3, nlme 3.1-131, parallel 3.4.3, plyr 1.8.4, scales 0.5.0, tools 3.4.3