

# Package ‘modopt.matlab’

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**Type** Package

**Title** 'MatLab'-Style Modeling of Optimization Problems

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**Description** 'MatLab'-Style Modeling of Optimization Problems with 'R'. This package provides a set of convenience functions to transform a 'MatLab'-style optimization modeling structure to its 'ROI' equivalent.

**Depends** R (>= 3.4), ROI, ROI.plugin.glpk, ROI.plugin.quadprog

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**URL** <http://www.finance-r.com/>

**RoxygenNote** 6.1.0

**NeedsCompilation** no

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**Repository** CRAN

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modopt.matlab-package *MatLab(R)-style Optimization Modeling in R using ROI*

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### Description

'MatLab'-Style Modeling of Optimization Problems with 'R'. This package provides a set of convenience functions to transform a 'MatLab'-style optimization modeling structure to its 'ROI' equivalent.

### Author(s)

Ronald Hochreiter, <ron@hochreiter.net>

### References

<http://www.finance-r.com/>

### See Also

Useful links:

- <http://www.finance-r.com/>

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intlinprog *MatLab(R)-style Mixed Integer Linear Programming in R using ROI*

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### Description

intlinprog provides a simple interface to ROI using the optimization model specification of MatLab(R)

minimize in  $x$ :  $f^*x$  subject to  $A*x \leq b$   $Aeq*x == beq$   $x \geq lb$   $x \leq ub$

### Usage

```
intlinprog(f, intcon = NULL, A = NULL, b = NULL, Aeq = NULL,
           beq = NULL, lb = NULL, ub = NULL, x0 = NULL, options = NULL)
```

### Arguments

f	Linear term (vector) of the objective function
intcon	Vector of which variables are integer
A	Inequality constraints (left-hand side)
b	Inequality constraints (right-hand side)
Aeq	Equality constraints (left-hand side)

beq	Equality constraints (right-hand side)
lb	Lower bound
ub	Upper bound
x0	Initial solution
options	Additional optimization parameters

**Value**

The solution vector in `x` as well as the objective value in `fval`.

**Author(s)**

Ronald Hochreiter, <ron@hochreiter.net>

**Examples**

```
# minimize 8x1 + x2
# subject to
# x1 + 2x2 >= -14
# -4x1 - 1x2 <= -33
# 2x1 + x2 <= 20
# x1, x2 integer

f <- c(8, 1)
A <- matrix(c(-1, -2, -4, -1, 2, 1), nrow=3, byrow=TRUE)
b <- c(14, -33, 20)

sol <- intlinprog(f, c(1, 2), A, b)
sol <- intlinprog(f, NULL, A, b)

sol$x
```

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linprog

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*MatLab(R)-style Linear Programming in R using ROI*


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**Description**

linprog provides a simple interface to ROI using the optimization model specification of MatLab(R)

minimize in  $x$ :  $f^*x$  subject to:  $A*x \leq b$  subject to:  $A_{eq}*x == beq$   $x \geq lb$   $x \leq ub$

**Usage**

```
linprog(f, A = NULL, b = NULL, Aeq = NULL, beq = NULL, lb = NULL,
        ub = NULL, x0 = NULL, options = NULL)
```

**Arguments**

f	Linear term (vector) of the objective function
A	Inequality constraints (left-hand side)
b	Inequality constraints (right-hand side)
Aeq	Equality constraints (left-hand side)
beq	Equality constraints (right-hand side)
lb	Lower bound
ub	Upper bound
x0	Initial solution
options	Additional optimization parameters

**Value**

The solution vector in x as well as the objective value in fval.

**Author(s)**

Ronald Hochreiter, <ron@hochreiter.net>

**Examples**

```
# maximize: 2x1 + x2
# subject to:
# x1 + x2 <= 5
# x1 <= 3
# x1 >= 0, x2 >= 0

f <- c(2, 1)
A <- matrix(c(1, 1, 1, 0), nrow=2, byrow=TRUE)
b <- c(5, 3)

sol <- linprog(-f, A, b)
sol$x
```

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quadprog

*MatLab(R)-style Quadratic Programming in R using ROI*


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**Description**

quadprog provides a simple interface to ROI using the optimization model specification of MatLab(R)

minimize in x:  $f^*x + 0.5*x'*H*x$  subject to:  $A*x \leq b$   $Aeq*x == beq$   $x \geq lb$   $x \leq ub$

**Usage**

```
quadprog(H, f, A = NULL, b = NULL, Aeq = NULL, beq = NULL,
         lb = NULL, ub = NULL, x0 = NULL, options = NULL)
```

**Arguments**

H	Quadratic term (matrix) of the objective function
f	Linear term (vector) of the objective function
A	Inequality constraints (left-hand side)
b	Inequality constraints (right-hand side)
Aeq	Equality constraints (left-hand side)
beq	Equality constraints (right-hand side)
lb	Lower bound
ub	Upper bound
x0	Initial solution
options	Additional optimization parameters

**Value**

The solution vector in `x` as well as the objective value in `fval`.

**Author(s)**

Ronald Hochreiter, <ron@hochreiter.net>

**Examples**

```
# Covariance matrix of four stocks (weekly returns from 2011):
#
#           AAPL           IBM           MSFT           ORCL
# AAPL 0.0014708114 0.0006940036 0.0006720841 0.0008276391
# IBM  0.0006940036 0.0009643581 0.0006239411 0.0011266429
# MSFT 0.0006720841 0.0006239411 0.0009387707 0.0008728736
# ORCL 0.0008276391 0.0011266429 0.0008728736 0.0021489512

covariance = matrix(c(0.0014708114, 0.0006940036, 0.0006720841, 0.0008276391,
                     0.0006940036, 0.0009643581, 0.0006239411, 0.0011266429,
                     0.0006720841, 0.0006239411, 0.0009387707, 0.0008728736,
                     0.0008276391, 0.0011266429, 0.0008728736, 0.0021489512),
                    nrow=4, byrow=TRUE)

assets <- dim(covariance)[1]

H <- covariance
f <- rep(0, assets)
Aeq <- rep(1, assets)
beq <- 1
lb <- rep(0, assets)
ub <- rep(1, assets)
```

```
solution <- quadprog(H, f, NULL, NULL, Aeq, beq, lb, ub)
portfolio <- solution$x
print(portfolio)
```

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